

THE REVERSED FIELD PINCH PROGRESS AND PROMISE

J.C. Sprott

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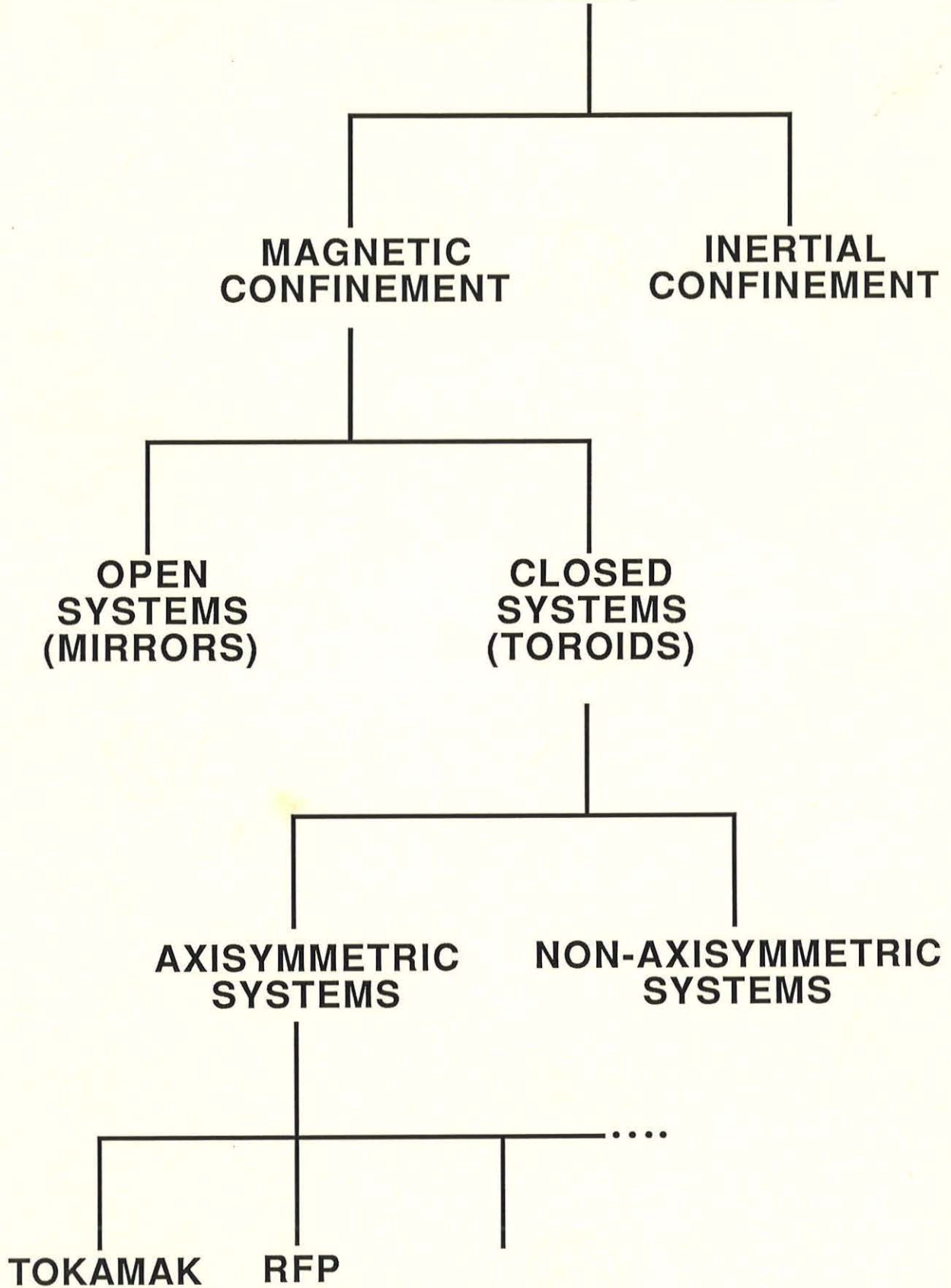
**THE REVERSED FIELD PINCH  
PROGRESS AND PROMISE**

**PROF. J. C. SPROTT  
UNIVERSITY OF WISCONSIN  
MADISON, WISCONSIN**

**IECEC    AUGUST 22, 1985**

# NUCLEAR FUSION

1



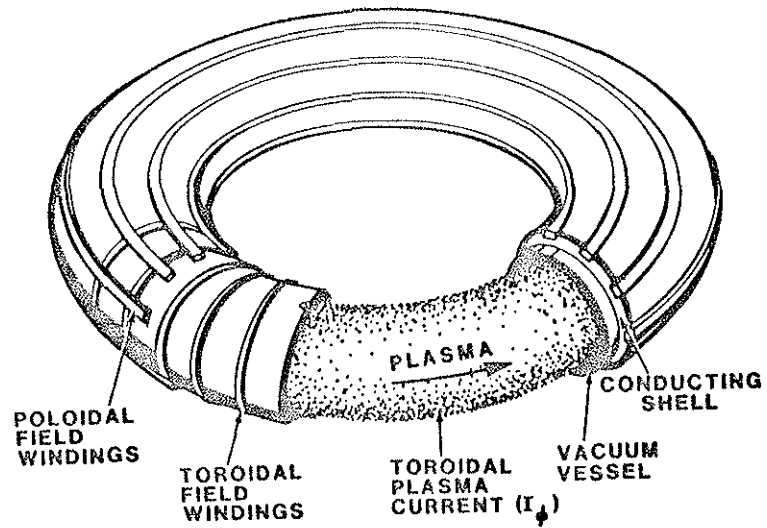
## REVERSED FIELD PINCH REACTOR

### ATTRACTIONS

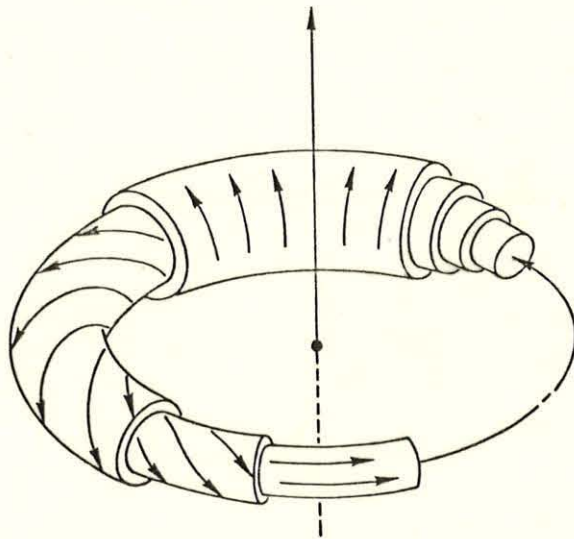
- \* HIGH POWER DENSITY
- \* NON—SUPER CONDUCTING MAGNET COILS
- \* OHMIC HEATING TO IGNITION

### DIFFICULTIES

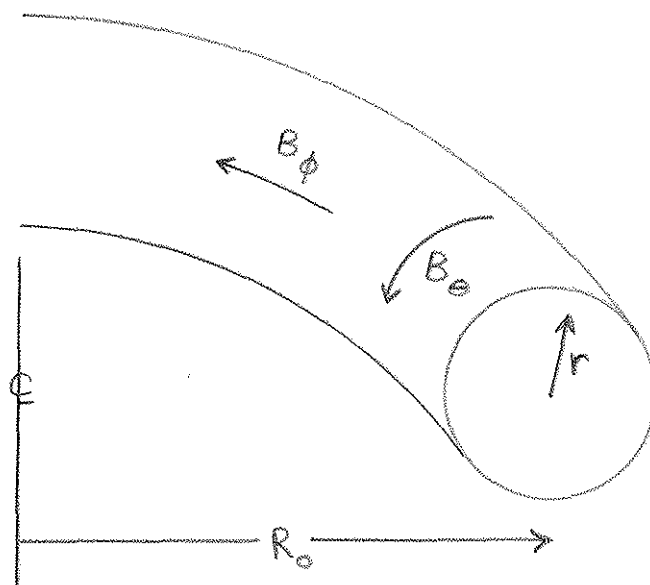
- \* CLOSE—FITTING CONDUCTING SHELL
- \* PULSED OPERATION



# TOROIDALLY CONFINED PLASMA

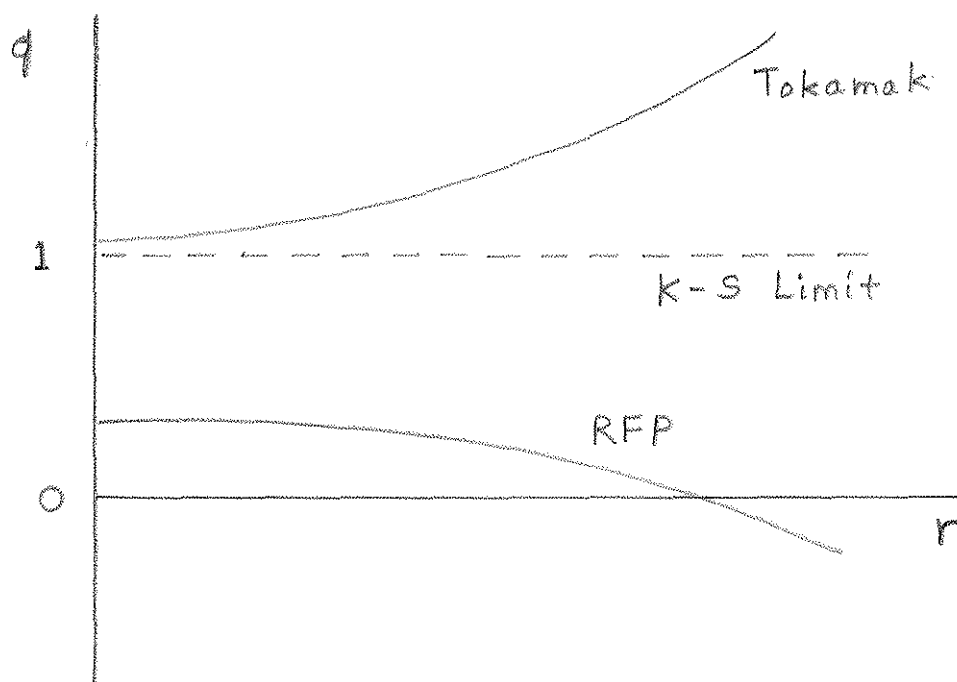


A sheared magnetic field in a torus.



Safety Factor :

$$q = \frac{r B_\phi}{R_0 B_\theta}$$



# TAYLOR STATE

6

Newton's Third Law:  $\vec{J} \times \vec{B} = \nabla p$

Ampere's Law:  $\nabla \times \vec{B} = \mu_0 \vec{J}$

For a low pressure plasma ( $\nabla p = 0$ ),

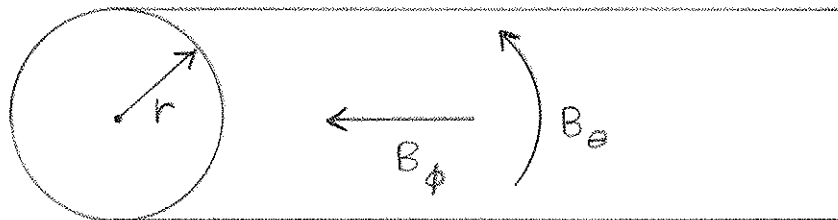
$\vec{J}$  is parallel to  $\vec{B}$ .

Thus,  $\nabla \times \vec{B} = \lambda \vec{B}$  where  $\lambda = \mu_0 J/B$

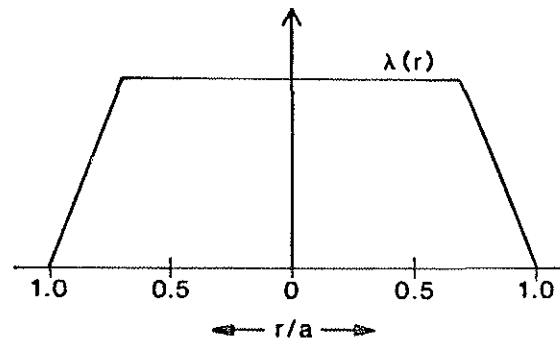
The minimum energy state has  $\lambda = \text{const}$

and a solution:

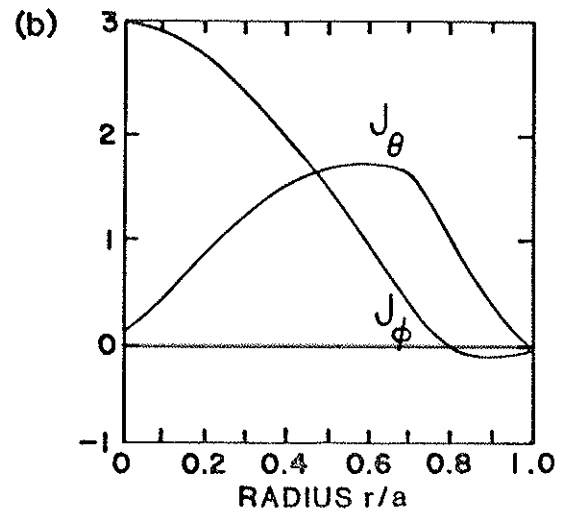
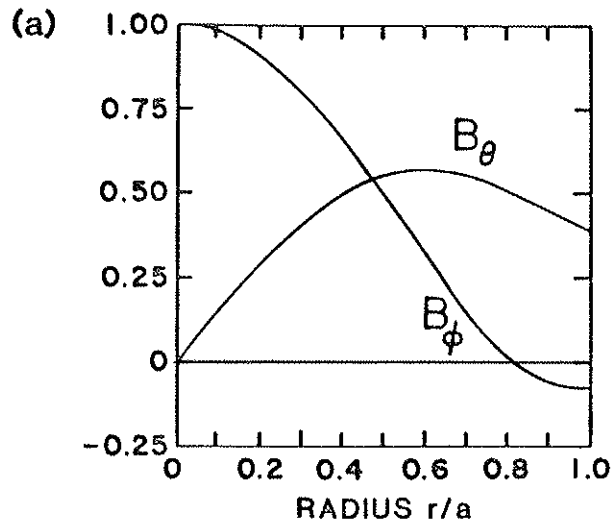
$$\left. \begin{aligned} B_\phi &= B_0 J_0(\lambda r) \\ B_\theta &= B_0 J_1(\lambda r) \end{aligned} \right\} \begin{array}{l} \text{Bessel} \\ \text{function} \\ \text{model} \end{array}$$



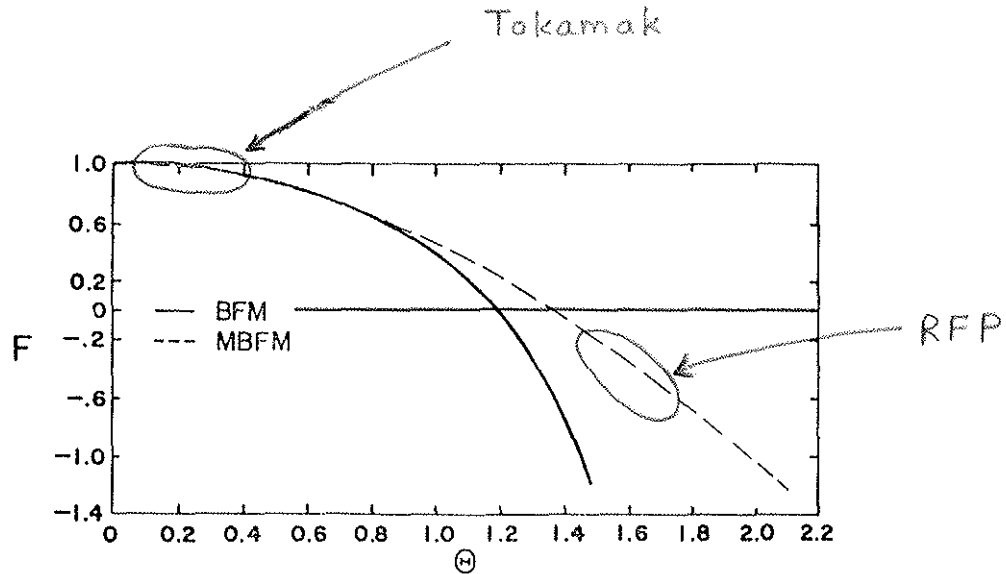




**Modified Bessel function model  
of  $J/B$  vs plasma radius**



**Magnetic field (a) and current density (b) profiles vs plasma radius**



$$F = \frac{B_{\phi}(a)}{\langle B_{\phi} \rangle}$$

$$\bar{q} = \frac{B_{\theta}(a)}{\langle B_{\phi} \rangle}$$

## MINIMUM ENERGY STATE OF TOROIDAL PLASMA

## RFP SCALING LAWS

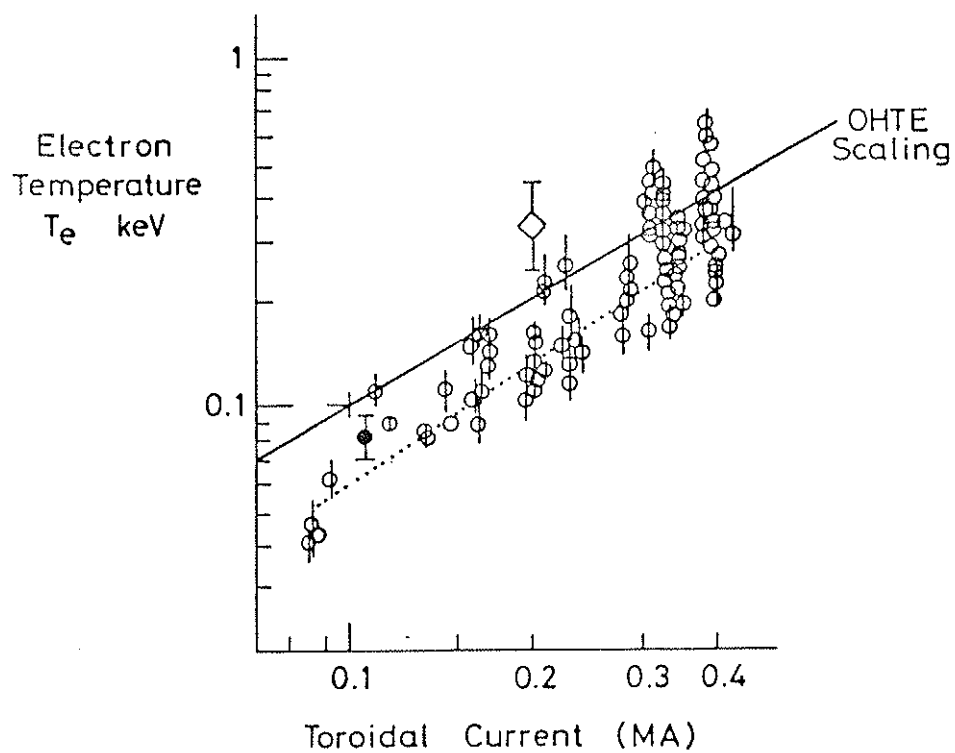
Temperature (K):  $T \sim 10 I_e$

Density ( $m^{-3}$ ):  $n \sim 10^{13} I_e / a^2$

Confinement time (s):  $\tau \sim 10^{-12} a^2 T^{3/2}$

where  $I_e$  = Toroidal current (Amperes),

and  $a$  = Minor radius (meters)



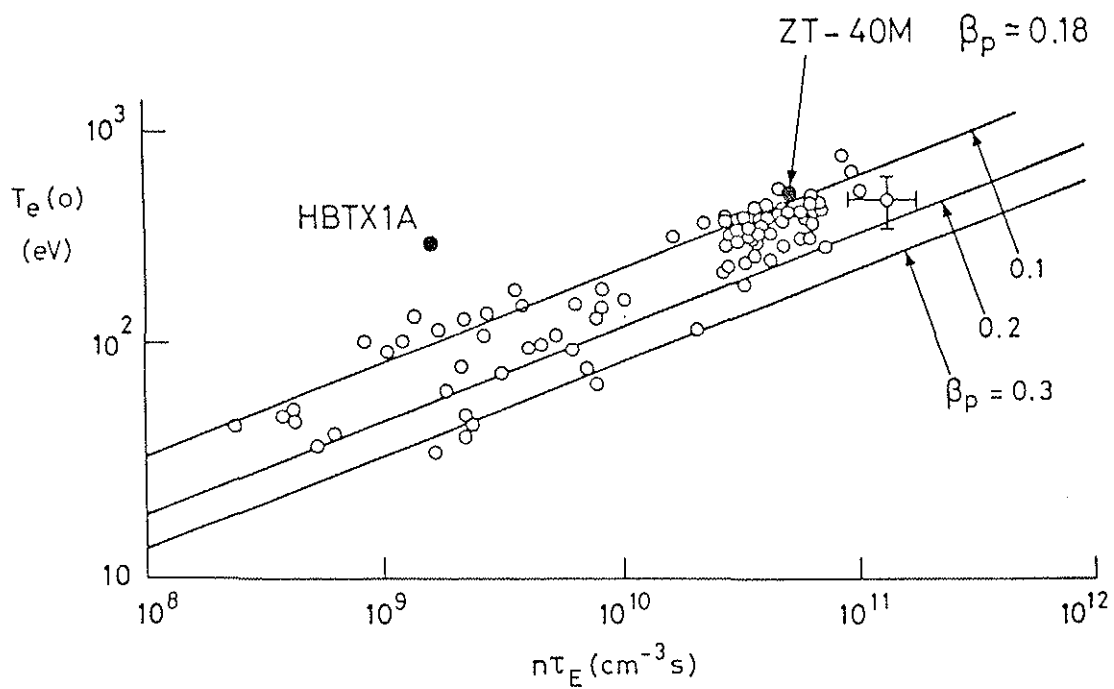
ZT - 40M DATA POINTS (D-II-2)  $\cdots\phi\cdots$

HBTX1A (D-II-3)

ETA BETA II (D-II-6)

Reversed Field Pinch Scaling showing the electron temperature increase with current.

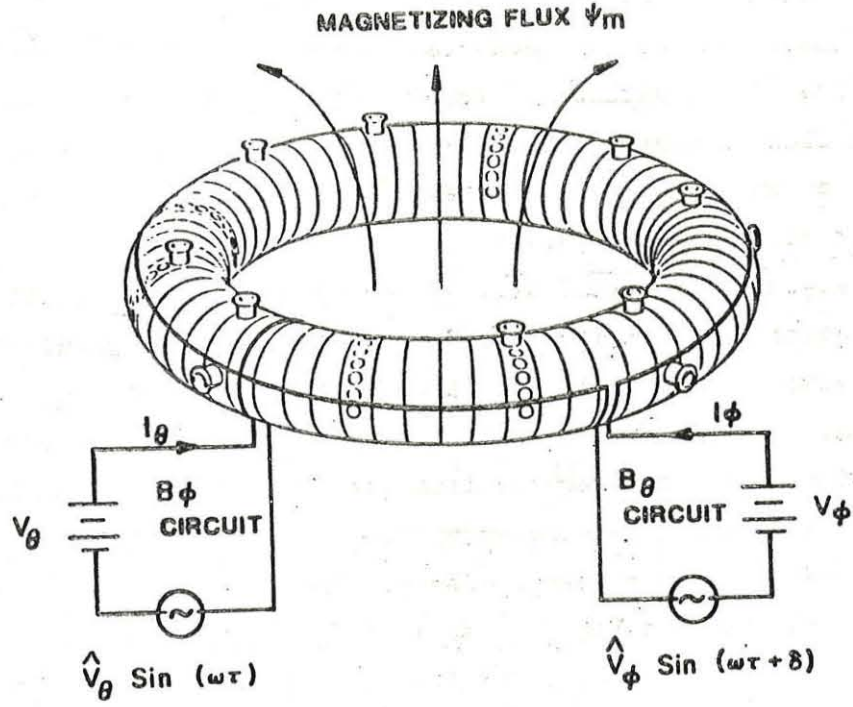
### OHTE CONFINEMENT SCALING



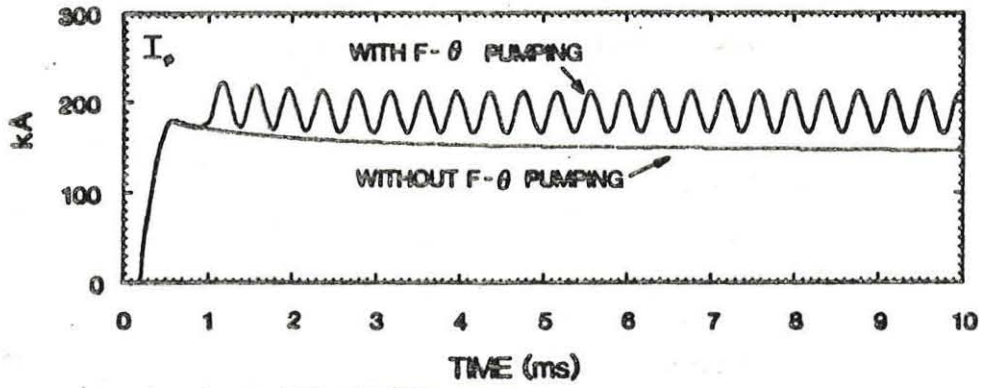
Improvement of  $T_e$  with confinement (OHTE results D-II-1) including a point from ZT-40M and HBRX1A.

TYPICAL PARAMETERS OF RFP DEVICES

	ZT-40 USA	OHTE USA	HBTX-IA UK	$\eta\beta$ II ITALY	TPE-IRM JAPAN	PROPOSED	REACTOR
minor radius, a(m)	0.2	0.19	0.24	0.125	0.09	0.5	1
major radius, R(m)	1.14	1.24	0.8	0.65	0.5	2	5
plasma current, I(MA)	0.34	0.5	0.2	0.10	0.14	2	10
temperature, T(eV)	330	500	100	100	300	2000	10,000
density, n(m <sup>-3</sup> )	8×10 <sup>19</sup>	1×10 <sup>20</sup>	2×10 <sup>19</sup>	5×10 <sup>19</sup>	3×10 <sup>19</sup>	1×10 <sup>20</sup>	1×10 <sup>20</sup>
confinement time, $\tau$ (msec)	0.7	0.2	0.05	0.1	0.05	10	1,000



Oscillating field current-drive schematic.





# CONDUCTING SHELL

How close?

How thick?

How continuous?